## Apparatus for Illustrating Boyle's Law.

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The apparatus shown in Figure 1 illustrates not only Boyles or Mariotte's Law, but also a combination of attendant phenomena which I shall describe presently: Figure 1 is about one-tourth the true size of the apparatus. It consists of an ordinary iron ring-stand E, by means of which the rarious glass tubes $A, B, C$, and $D$, are held in the proper position by means of clamps at F. At the base is situated a Woulfe bottle G, with which $\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}$, and $\mathrm{E}^{\prime}$ communicate. The bottle G is about one-third filled with a concentrated aqueous solution of eosin. This solution is readily visible and on account of its intense red color is also seen at a considerable distance in the transparent glass tubes $A, B$, and $C$. Such an eosin solution has the additional advantage of being rather permanent in color. for in two years the solution I had used did not change perceptibly, and only a slight reddish brown precipitate was visible. It is also quite resistant in the presence of HCl , and even by the use of strong HCl a heary precipitate results which is almost as red for a time as the original solution. The glass tubes A, B, and C extend below the surface of the eosin solution, while D merely projects through the rubber cork H. The connection of all the glass tubes A, B, C. D, E', and L are made air-tight by means of the rubber corks $H$, and the latter are held firmly in place by copper wires to prevent their being blown out of the pressure generated in I and G. By means of the glass tube $\mathrm{E}^{\prime}$ the large glass bottle I is connected with $G$. and another glass tube connects I with the water-tap, airrump or other contrivance for generating pressure. If the apparatus is connected as shown in the figure to water mains carrying a high pressure, and if then we open the valve 0 , the water will be forced into $I$. This will of course cause compression of the air in I, as well as pressure in proportion to the amount of water allowed to enter. Since $G$ is connected with I by $\mathrm{E}^{\prime}$, the same pressure will be generated in G as in I. As A, B, and C project below the surface of the eosin solution, and if the valves $K$ and $\mathrm{K}^{\prime}$ are closed and the water continues to enter I, in a few seconds the rolume of air in the tube C , which is sealed at the top, will be compressed onehalf its former volume by the eosin solution rising one-half the inside
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length of the tube when the pressure in G equals one atmosphere. This illustrates Boyle's Law by showing that the volume of gas in C varied inrersely as the pressure brought to bear upon it. The same principle would be shown in A and B under similar circumstances if K and $\mathrm{K}^{\prime}$ of the tubes M M', which are fastened to A and B by means of rubber tubing held by copper fire and sealing-wax, remained closed.

Again, when the air in A, B, and C is compressed one-half its volume by a pressure of one atmosphere, this will be shown by the manometer which the tube $D$ forms. This tube has each of its two arms filled to a height of forty centimeters with mercury. The total height of the two colnmns is therefore equivalent to more than an atmosphere. When the pressure in $G$ is zero, then the two columns of mercury $X$ and $Y$ are equal in height. When, however, the pressure in $G$ is equal to one atmosphere. then the column X will sink and column Y will rise till the difference of their heights is $\mathbf{7 6} \mathrm{cm}$. Since in estimating accurately the height of a mercury column both pressure and temperature must be considered. this may be done by the usual formula.

When it is desired to again reduce the pressure in ( r to zero and allow the water in I to escape, this may be done by closing $O$, opening $P$, and either $K$ or $K^{\prime}$, or both. Unless $I$ is interposed between $O$ and $G$, water could not for obvious reasons be used. Air could, of course, be forced directly into $G$.

The apparatus can also be used to show that the height to which a liquid will rise in a tube is independent of its diameter. If we open $O$ then, as mentioned above, the pressure developed in I and G will canse the eosin solution to rise with ease in $A$ and $B$ if $K$ and $\mathbf{K}^{\prime}$ are left open. When the eosin solution has risen to $S$, or to any other height in $B$, whose internal diameter is three millimeters, then if we notice A. disregarding the small effect of capillarity in $B$, the column of liquid will stand at exactly the same height in A, whose internal diameter is one cm.. as in B.

If, finally, both $A$ and $B$ are rapidly filled with the eosin solution by quickly and strongly generating pressure in $G$, then it will be seen by carefully timed observations that the liquid in A will rise to an equilibrium of the pressure in $G$ somewhat more quickly than the same equilibrium will be attained by the liquid in B , due to the greater friction produced by the smaller tube B. For the same reason if the pressure is rapidly reduced to zero by opening $P$, the eosin solution in $B$ will require a slightly longer time to fall from a polnt, as $\mathbf{S}$, and reach the level of the liquid in $G$, than would be required by the same height of a column in $A$.

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